



**SIDDHARTH GROUP OF INSTITUTIONS :: PUTTUR**

Siddharth Nagar, Narayanavanam Road – 517583

**QUESTION BANK (DESCRIPTIVE)**

**Subject with Code : ENGINEERING MATHEMATICS-III(16HS612)**

**Course & Branch: B.Tech – AG Year & Sem: II-B.Tech& I-Sem Regulation: R16**

**UNIT – I**

**COMPLEX ANALYSIS-I**

1. A) Show that  $w = \log z$  is analytic everywhere except at the origin and find  $\frac{dw}{dz}$ . [5M]  
 B) If  $f(z)$  is the analytic function of  $z$  prove that  $\left(\frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2}\right) \log|f(z)| = 0$ . [5M]
2. A) Show that  $u = \frac{x}{x^2 + y^2}$  is Harmonic. [5M]  
 B) Find the analytic function whose imaginary part is  $e^x(x \sin y + y \cos y)$ . [5M]
3. A) Determine  $p$  such that the function  $f(z) = \frac{1}{2} \log(x^2 + y^2) + i \tan^{-1}\left(\frac{px}{y}\right)$ . [5M]  
 B) Find all the values of  $k$ , such that  $f(x) = e^x(\cos ky + i \sin ky)$ . [5M]
4. A) If  $f(z) = u + iv$  is an analytic function of  $z$  and if  $u - v = e^x(\cos y - \sin y)$ , Find  $f(z)$  in terms of  $z$ . [5M]  
 B) Find an analytic function whose real part is  $e^{-x}(x \sin y - y \cos y)$ . [5M]
5. A) Show that  $(z) = z + 2\bar{z}$  is not analytic anywhere in the complex plane. [5M]  
 B) Show that  $\frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2} = 4 \frac{\partial^2}{\partial z \partial \bar{z}}$ . [5M]
6. A) Evaluate the line integral  $\int_c (y - x - 3x^2i) dz$  where  $c$  consists of the line segments from  $z = 0$  to  $z = i$  and the other from  $z = i$  to  $z = i + 1$ . [5M]  
 B) Evaluate  $\int_c \frac{\cos z - \sin z}{(z+i)^3} dz$  with  $C: |z| = 2$  using Cauchy's integral formula. [5M]
7. A) Evaluate  $\int_c \frac{e^{2z}}{(z-1)(z-2)} dz$  where  $c$  is the circle  $|z| = 3$  using Cauchy's integral formula. [5M]  
 B) Evaluate  $\int_c \frac{dz}{z^3(z+4)}$  where  $c$  is the circle  $|z| = 2$  using Cauchy's integral formula. [5M]

8. Evaluate  $\int_0^{1+3i} (x^2 - iy) dz$  along the paths (i)  $y = x$  (ii)  $y = x^2$ . [10M]
9. A) Evaluate using Cauchy's integral formula  $\int_c \frac{\sin^6 z}{\left(z - \frac{\pi}{2}\right)^3} dz$  around the circle  $c: |z|=1$ . [5M]
- B) Evaluate  $\int_c \frac{\log dz}{(z-1)^3}$  where  $c: |z-1| = \frac{1}{2}$  using Cauchy's integral formula. [5M]
10. Let C denote the boundary of the square whose sides lie along the lines  $x = \pm 2$ , Where c is described in the positive sense, evaluate the integrals (i)  $\int_c \frac{e^{-z}}{\left(z - \frac{\pi i}{2}\right)} dz$  (ii)  $\int_c \frac{\cos z}{z(z^2 + 8)} dz$



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**UNIT –II**

**COMPLEX ANALYSIS-II**

1. A) Determine the poles of the function  $f(z) = \frac{z^2}{(z-1)^2(z+2)}$  and the residues at each pole  
 B) Find the residue of the function  $f(z) = \frac{1}{(z^2+4)^2}$  where  $c$  is  $|z-i|=2$ . [10M]
2. A) Find the residues of  $f(z) = \frac{z^2}{1-z^4}$  at these singular points which lie inside the circle  $|z|=5$   
 B) Find the residues of  $f(z) = \frac{z^2}{z^2+a^2}$  at  $|z|=ai$ . [5M]
3. A) Determine the poles of the function  $f(z) = \frac{z^2+1}{z^2-2z}$  and the residues at each pole. [5M]  
 B) Determine the poles and residues of  $\tan hz$ . [5M]
4. A) Evaluate  $\int_{-\infty}^{\infty} \frac{\cos ax}{x^2+1} dx, a > 0$ . [5M]  
 B) Find the residue of the function  $f(z) = \frac{e^{2z}}{z(z-3)}$  where  $C: |z|=2$ . [5M]
5. Evaluate  $\int_0^{\pi} \frac{1}{a+b\cos\theta} d\theta = \frac{\pi}{\sqrt{a^2+b^2}}, a > b > 0$ . [10M]
6. Show that  $\int_0^{\pi} \frac{\cos 2\theta}{1+2a\cos 2\theta+a^2} d\theta = \frac{2\pi a^2}{1-a^2}, (a^2 < 1)$  using residue theorem. [10M]
7. A) Find the bilinear transformation which maps the point's  $(\infty, i, 0)$  in to the points  $(0, i, \infty)$   
 B) Find the bilinear transformation that maps the point's  $(0, 1, i)$  in to the points  $1+i, -i, 2-i$  in  $W$ -plane [5M]
8. A) By the transformation  $w = z^2$ , show that the circles  $|z-a|=c$  ( $a, c$  being real) in the  $Z$ -plane corresponds to the limacons in the  $w$ -plane. [5M]  
 B) Find the image of the region in the  $z$ -plane between the lines  $y=0$  &  $y=\frac{\pi}{2}$  under the transformation  $w = e^z$ . [5M]

9. A) Find the bilinear transformation which maps the points  $(\infty, i, 0)$  in to the points  $(-1, -1, 1)$  in  $w$ -plane. [5M]  
B) Find the bilinear transformation that maps the point's  $(1, i, -1)$  in to the points  $(2, i, -2)$  in  $w$ -plane [5M]
10. A) The image of the infinite strip bounded by  $x=0$  &  $x=\frac{\pi}{4}$  under the transformation  $w = \cos z$  [5M]  
B) Prove that the transformation  $w = \sin z$  maps the families of lines  $x = y = \text{constant}$  into two families of confocal central conics. [5M]


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**UNIT –III**

1. Find a positive root of  $x^3 - x - 1 = 0$  correct to two decimal places by bisection method.
2. Find out the square root of 25 given  $x_0 = 2.0, x_1 = 7.0$  using bisection method. [10M]
3. Find out the root of the equation  $x \log_{10}(x) = 1.2$  using false position method. [10M]
4. Find the root of the equation  $xe^x = 2$  using Regula-falsi method. [10M]
5. Find a real root of the equation  $xe^x - \cos x = 0$  using Newton- Raphson method. [10M]
6. Using Newton-Raphson Method
  - A) Find square root of 10. [10M]
  - B) Find cube root of 27. [10M]
7. From the following table values of  $x$  and  $y = \tan x$  interpolate values of  $y$  when  $x = 0.12$  and  $x = 0.28$  [10M]

$x$	0.10	0.15	0.20	0.25	0.30
$y$	0.1003	0.1511	0.2027	0.2553	0.3093

8. A) Using Newtons forward interpolation formula., and the given table of value

$x$	1.1	1.3	1.5	1.7	1.9
$f(x)$	0.21	0.69	1.25	1.89	2.61

 Obtain the value of  $f(x)$  when  $x=1.4$  [5M]

- B) Evaluate  $f(10)$  given  $f(x) = 168,192,336$  at  $x = 1,7,15$  respectively, use Lagrange Interpolation. [5M]
9. A) Use Newton's Backward interpolation formula to find  $f(32)$   
given  $f(25) = 0.2707, f(30) = 0.3027, f(35) = 0.3386, f(40) = 0.3794$  [5M]
- B) Find the unique polynomial  $P(X)$  of degree 2 or less such that  
 $P(1) = 1, P(3) = 27, P(4) = 64$  using Lagrange's interpolation formula. [5M]
10. A) Using Lagrange's interpolation formula, find the parabola passing through the points  
(0,1), (1,3) and (3,55) [5M]
- B) For  $x=0,1,2,3,4; f(X) = 1,14,15,5,6$  find  $f(3)$  using forward difference table. [5M]


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**UNIT –IV**

1. Fit the curve
- $y = ae^{bx}$
- to the following data. [10M]

X	0	1	2	3	4	5	6	7	8
Y	20	30	52	77	135	211	326	550	1052

2. A) Fit the exponential curve of the form
- $y = ab^x$
- for the data [5M]

X	1	2	3	4
Y	7	11	17	27

- B) Fit a straight line
- $y=a+bx$
- from the following data [5M]

X	0	1	2	3	4
Y	1	1.8	3.3	4.5	6.3

3. Fit a second degree polynomial to the following data by the method of
- least squares**
- [10M]

X	0	1	2	3	4
Y	1	1.8	1.3	2.5	6.3

- B) Fit a straight line
- $y=ax+b$
- from the following data [5M]

X	6	7	7	8	8	8	9	9	10
Y	5	5	4	5	4	3	4	3	3

4. A) Fit a Power curve to the following data [5M]

X	1	2	3	4	5	6
Y	2.98	4.26	5.21	6.10	6.80	7.50

- B) Fit a second degree polynomial to the following data by the method of
- least squares**
- [5M]

X	0	1	2	3	4
Y	1	5	10	22	38

5. A) Fit the curve of the form  $y = ae^{bx}$  [5M]

X	77	100	185	239	285
Y	2.4	3.4	7.0	11.1	19.6

B) Fit the curve of the form  $y = ab^x$  for [5M]

X	2	3	4	5	6
Y	8.3	15.4	33.1	65.2	127.4

6. A) Using Simpson's  $\frac{3}{8}$  rule, evaluate  $\int_0^6 \frac{1}{1+x^2} dx$  [5M]

B) Evaluate  $\int_0^1 \sqrt{1+x^3} dx$  taking  $h=0.1$  using Trapezoidal rule [5M]

7. Dividing the range into 10 equal parts, find the value of  $\int_0^{\pi/2} \sin x dx$  using Simpson's  $\frac{1}{3}$  rule.

8. Evaluate  $\int_0^1 \frac{1}{1+x} dx$  [10M]

i) By trapezoidal rule and Simpson's  $\frac{1}{3}$  rule.

ii) Using Simpson's  $\frac{3}{8}$  rule and compare the result with actual value.

9. A) Compute  $\int_0^4 e^x dx$  by Simpson's  $\frac{1}{3}$  rule with 10 subdivisions. [5M]

B) Find  $\int_3^7 x^2 \log x dx$ , using Trapezoidal rule and Simpson's rule by 10 subdivisions. [5M]

10. A) Evaluate approximately, by Trapezoidal rule,  $\int_0^1 (4x - 3x^2) dx$  by taking  $n=10$ . [5M]

B) Evaluate  $\int_0^1 e^{-x^2} dx$  taking  $h=0.25$  using Simpson's  $\frac{1}{3}$  rule [5M]


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**UNIT –V**

1. a ) Tabulate  $y(0.1)$ ,  $y(0.2)$ , and  $y(0.3)$  using Taylor's series method given that  $y' = y^2 + x$  and  $y(0) = 1$  [5M]
- B) Find the value of  $y$  for  $x=0.4$  by Picard's method given that  $\frac{dy}{dx} = x^2 + y^2$ ,  $y(0)=0$  [5M]
2. Using Taylor's series method find an approximate value of  $y$  at  $x = 0.2$  for the D.E  $y' - 2y = 3e^x$ ,  $y(0) = 0$ . Compare the numerical solution obtained with exact solution. [10M]
3. A) Solve  $y' = x + y$ , given  $y(1)=0$  find  $y(1.1)$  and  $y(1.2)$  by Taylor's series method [5M]
- B) Obtain  $y(0.1)$  given  $y' = \frac{y-x}{y+x}$ ,  $y(0)=1$  by Picard's method. [5M]
4. A) Given that  $\frac{dy}{dx} = 1+xy$  and  $y(0) = 1$  compute  $y(0.1), y(0.2)$  using Picard's method [5M]
- B) Solve by Euler's method  $\frac{dy}{dx} = \frac{2y}{x}$  given  $y(1) = 2$  and find  $y(2)$ . [5M]
5. A) Using Runge-Kutta method of second order, compute  $y(2.5)$  from  $y' = \frac{y+x}{x}$ ,  $y(2)=2$ , taking  $h=0.25$  [5M]
- B) Solve numerically using Euler's method  $y' = y^2 + x$ ,  $y(0)=1$ . Find  $y(0.1)$  and  $y(0.2)$  [5M]
6. A) Using Euler's method, solve numerically the equation  $y' = x + y$ ,  $y(0)=1$  [5M]
- B) Solve  $y' = y - x^2$ ,  $y(0) = 1$  by Picard's method up to the fourth approximation. Hence find the value of  $y(0.1)$ ,  $y(0.2)$ . [5M]
7. A) Use Runge-kutta method to evaluate  $y(0.1)$  and  $y(0.2)$  given that  $y' = x + y$ ,  $y(0)=1$  [5M]
- B) Solve numerically using Euler's method  $y' = y^2 + x^2$ ,  $y(0) = 1$ . Find  $y(0.1)$  and  $y(0.2)$  [5M]



8. A) Using R-K method of 4<sup>th</sup> order, solve  $\frac{dy}{dx} = \frac{y^2 - x^2}{y^2 + x^2}$ ,  $y(0)=1$  Find  $y(0.2)$  and  $y(0.4)$  [6M]

B) Obtain Picard's second approximate solution of the initial value problem

$$\frac{dy}{dx} = \frac{x^2}{y^2 + 1}, y(0) = 0 \quad [4M]$$

9. Using R-K method of 4<sup>th</sup> order find  $y(0.1), y(0.2)$  and  $y(0.3)$  given that  $\frac{dy}{dx} = 1 + xy$ ,  $y(0) = 2$

10. A) Find  $y(0.1)$  and  $y(0.2)$  using R-K 4<sup>th</sup> order formula given that  $y' = x^2 - y$  and  $y(0) = 1$  [5M]

B) Using Taylor's series method, solve the equation  $\frac{dy}{dx} = x^2 + y^2$  for  $x = 0.4$  given that  $y = 0$  when  $x = 0$ . [5M]


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**UNIT-I**

- 1) If  $f(z) = z^2$  for all  $z$  then  $f(z)$  is [ ]  
 A) Continuous at  $z = i$  B) Not Continuous at  $z = i$   
 C) Continuous at  $z = 1$  D) None
- 2) If  $z = x + iy$  then  $\sin z =$  [ ]  
 A)  $\sin x \cosh y - \cos x \sin hy$  B)  $\sin x \cosh y + i \cos x \sin hy$   
 C)  $\sin x \cosh y + \cos x \sin hy$  D)  $\sin x \cosh y - i \cos x \sin hy$
- 3) If  $f(z) = |z|^2$  is [ ]  
 A) Analytic everywhere B) not analytic everywhere  
 C) Not differentiable at  $z = 0$  D) None
- 4) Cauchy-Riemann equations are [ ]  
 A)  $u_x = v_y$  &  $u_y = -v_x$  B)  $u_x = v_y$  &  $u_y = v_x$   
 C)  $u_x = v_x$  &  $u_y = -v_x$  D)  $u_x = -v_y$  &  $u_y = -v_x$
- 5) The period of  $\sin z$  is [ ]  
 A) 0 B)  $\pi$  C)  $\frac{\pi}{2}$  D)  $2\pi$
- 6) Functions which satisfy Laplacian equations in a region  $R$  are called [ ]  
 A) analytic B) not analytic C) Harmonic D) None
- 7) An analytic function with constant modulus is a [ ]  
 A) constant function B) function of  $x$  C) function of  $y$  D) None
- 8) Imaginary part of  $\cos z$  is [ ]  
 A)  $\sin x \cosh y$  B)  $-\sin x \sin hy$  C)  $\sin hy \cosh y$  D)  $\cos x \cosh y$
- 9)  $\sin iz =$  [ ]  
 A)  $-i \sin hy$  B)  $\sin hy$  C)  $i \cos hy$  D)  $i \sin hy$
- 10) The value of  $k$  so that  $x^2 + 2x + ky^2$  may be harmonic is [ ]  
 A) 0 B) -1 C) 2 D) none
- 11) If  $w = \log z$  is analytic everywhere except at  $z =$  [ ]  
 A) 0 B) 1 C) 2 D) 3
- 12) If  $z = x + iy$  then  $\cos z =$  [ ]  
 A)  $\sin x \cosh y - \cos x \sin hy$  B)  $\cos x \cosh y - i \sin x \sin hy$   
 C)  $\cos x \cosh y + \cos x \sin hy$  D)  $\sin x \cosh y - i \cos x \sin hy$
- 13) The value of  $k$  so that  $x^3 + 3kxy^2$  may be harmonic is [ ]  
 A) 0 B) -1 C) 2 D) none

- 14) If  $f(z)$  is analytic function in a simply connected domain D&C is any simple Curve then  $\int f(z)dz =$  [ ]  
 A) 0 B) -1 C) 2 D) none
- 15) The curves  $u(x, y) = C_1$  and  $v(x, y) = C_2$  are orthogonal if  $u + iv$  is [ ]  
 A) analytic B) not analytic C) Harmonic D) None
- 16) If  $u + iv$  is analytic then  $v - iu$  is [ ]  
 A) analytic B) not analytic C) Harmonic D) None
- 17) A harmonic function is that which is [ ]  
 A) Harmonic B) not analytic C) analytic D) None
- 18) An analytic function with constant imaginary part is [ ]  
 A) constant B) analytic C) Harmonic D) None
- 19) If  $f(z)$  is analytic and equals  $u(x, y) + iv(x, y)$  then  $f^1(z) =$  [ ]  
 A)  $u_x + iv_x$  B)  $v_y - iv_x$  C)  $v_y + iv_x$  D) none
- 20)  $\cos iz =$  [ ]  
 A)  $-i \sin hy$  B)  $\sin hy$  C)  $i \cos hy$  D)  $\cos hy$
- 21) The period of  $\sin z$  is [ ]  
 A) 0 B)  $\pi$  C)  $\frac{\pi}{2}$  D)  $2\pi$
- 22) If  $\lim_{z \rightarrow z_0} f(z)$  exists then that limit is \_\_\_\_\_ [ ]  
 A) Not unique B) Unique C) Twice D) None
- 23) Solution set of  $\sin z = 0$  is [ ]  
 A)  $z = 2n\pi$  B)  $z = n\pi$  C)  $z = (2n+1)\frac{\pi}{2}$  D) None
- 24) If  $z = x + iy$  then  $\overline{\cos z} =$  \_\_\_\_\_ [ ]  
 A)  $\overline{\cos z}$  B)  $\sin z$  C)  $\cos z$  D) None
- 25) Imaginary part of  $\overline{\sin z} =$  \_\_\_\_\_ [ ]  
 A)  $\sin x \cosh y$  B)  $-\sin x \sin hy$  C)  $\sin hy \cosh y$  D)  $-\cos x \sinh y$
- 26) If  $f(z) = z^3$  is [ ]  
 A) Analytic everywhere B) not analytic everywhere  
 C) Not differentiable at  $z = 0$  D) None
- 27) Arg z is [ ]  
 A) Differential in every domain B) Not differential any where  
 C) Differential only at origin D) None
- 28) Polar form of Cauchy-Riemann equations are [ ]  
 A)  $ru_r = v_\theta, rv_r = -u_\theta$  B)  $ru_r = v_\theta, rv_r = u_\theta$   
 C)  $ru_r = -v_\theta, rv_r = -u_\theta$  D)  $ru_r = -v_\theta, rv_r = u_\theta$
- 29) If  $f(z) = z^2 \overline{z}$  is [ ]  
 A) Not differentiable at  $z = 0$  B) not analytic everywhere  
 C) Analytic everywhere D) None

- 30) Real part of  $\cos z$  is [ ]  
 A)  $\sin x \cosh y$  B)  $-\sin x \sin hy$  C)  $\sin hy \cosh y$  D)  $\cos x \cosh y$
- 31) The period of  $\tan z$  is [ ]  
 A) 0 B)  $\pi$  C)  $\frac{\pi}{2}$  D)  $2\pi$
- 32) If  $f(z) = \operatorname{Re}(z)$  is [ ]  
 A) analytic B) *not* analytic C) not differentiable D) *None*
- 33) A point at which  $f(z)$  fails to be analytic is called [ ]  
 A) Singular point of  $f(z)$  B) null point of  $f(z)$   
 C) Non-Singular point of  $f(z)$  D) none
- 34) If  $f(z) = \sinh z$  is [ ]  
 A) not analytic everywhere B) Analytic everywhere  
 C) Not differentiable at  $z = 0$  D) None
- 35) The period of the function  $e^{iz}$  is [ ]  
 A) 0 B)  $\pi$  C)  $\frac{\pi}{2}$  D)  $2\pi$
- 36) If  $z = x + iy$  then  $\overline{\sin z} =$  [ ]  
 A)  $\sin z$  B)  $\sin \bar{z}$  C)  $\cos z$  D) None
- 37) Solution set of  $\cos z = 0$  is [ ]  
 A)  $z = 2n\pi$  B)  $z = n\pi$  C)  $z = (2n+1)\frac{\pi}{2}$  D) *None*
- 38)  $\frac{x^2}{\sinh^2 \beta} + \frac{y^2}{\sinh^2 \beta} =$  [ ]  
 A) 1 B) -1 C) 0 D) 2
- 39) If  $\sin(\alpha + i\beta) = x + iy$  then  $\frac{x^2}{\sin^2 \alpha} + \frac{y^2}{\cos^2 \alpha} =$  [ ]  
 A) 1 B) -1 C) 0 D) 2
- 40) If  $e^{\bar{z}} =$  [ ]  
 A) 1 B)  $e^{\bar{z}}$  C) 0 D)  $e^z$


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**UNIT-II**
**COMPLEX ANALYSIS-II**

- 1) If  $\lim_{z \rightarrow a} f(z)$  does not exist then  $z = a$  is \_\_\_\_\_ singularity [   ]  
 A) Pole                      B) Removable                      C) Isolated essential                      D) None
- 2) The function  $e^z$  has an isolated singularity at  $z =$  [   ]  
 A) 1                      B)  $\infty$                       C) 0                      D) None
- 3) The limit point of a sequence of poles of a function  $f(z)$  is [   ]  
 A) Pole                      B) Removable                      C) Isolated essential                      D) None
- 4) The value of  $\int_c \frac{e^z}{(z-3)^2} dz$ ,  $C: |z| = 2$  is [   ]  
 A) 1                      B) 0                      C)  $\pi i$                       D) None
- 5) The pole of  $f(z) = \frac{e^z}{(z)(z+3)}$  is [   ]  
 A) 1,3                      B) -1,0                      C) 2,3                      D) 0, -3
- 6) The pole of  $f(z) = \frac{z}{(z-1)(z-3)}$  is [   ]  
 A) 1,3                      B) -1,0                      C) 2,3                      D) -1, -3
- 7) The pole of  $f(z) = \frac{z+1}{(z-0)(z-3)}$  is [   ]  
 A) 0,3                      B) -1,0                      C) 2,3                      D) 0, -3
- 8) The residue of  $f(z) = \frac{1}{(z^2+4)^2}$  at the pole  $z = 2i$  is [   ]  
 A)  $-32i$                       B)  $32i$                       C)  $\frac{1}{32i}$                       D)  $\frac{-1}{32i}$
- 9) The residue of  $f(z) = \frac{z^2}{z^4-1}$  at the pole  $z = 1$  is [   ]  
 A)  $-4$                       B)  $4i$                       C)  $\frac{1}{4}$                       D)  $\frac{-1}{4}$
- 10) A pole of order 1 is called [   ]  
 A) Simple                      B) Not simple                      C) Isolated                      D) None
- 11) If  $\lim_{z \rightarrow a} f(z) = \infty$  then  $z = a$  exists is \_\_\_\_\_ [   ]  
 A) Pole                      B) Removable                      C) Isolated                      D) None

- 12) If  $\lim_{z \rightarrow a} f(z)$  exists finitely then  $z = a$  is \_\_\_\_\_ singularity [ ]  
 A) Pole B) Removable C) Isolated D) None
- 13) The value of  $\int_c \frac{dz}{z+2}$ ,  $C: |z|=1$  is [ ]  
 A) 1 B) 0 C)  $\pi i$  D) None
- 14) The pole of  $f(z) = \frac{e^z}{(z+4)(z+1)}$  is [ ]  
 A) 0,-4 B) 0,4 C) 1,-4 D) -4,-1
- 15) The residue of  $f(z) = \frac{e^z}{(z+4)z}$  at the pole  $z=0$  is [ ]  
 A)  $\frac{1}{4}$  B) 4 C)  $-\frac{1}{4}$  D) -4
- 16) If  $f(z)$  has a simple pole at  $z = a$  then  $\lim_{z \rightarrow a} z f(z) =$  [ ]  
 A) 0 B)  $\lim_{z \rightarrow a} (z+a)f(z)$  C)  $\lim_{z \rightarrow a} (z-a)f(z)$  D) None
- 17) Is cross ratio of four points invariant under the transformation is [ ]  
 A) Bilinear B) Inverse Bilinear C) conformal D) None
- 18) The image of the line  $y = c$  under the mapping  $w = \sin z$  is [ ]  
 A) Parabola B) ellipse C) Hyperbola D) None
- 19) The cross ratio of the four points  $z_1, z_2, z_3, z_4$  is [ ]  
 A)  $\frac{(z_1 - z_2)(z_3 - z_4)}{(z_2 - z_3)(z_4 - z_1)}$  B)  $\frac{(z_1 z_2)(z_3 z_4)}{(z_2 - z_3)(z_4 - z_1)}$  C)  $\frac{(z_2 - z_3)(z_4 - z_1)}{(z_1 - z_2)(z_3 - z_4)}$  D) None
- 20) The bilinear transformation maps inverse points of a circle into [ ]  
 A) Inverse points B) constant C) singular point D) None
- 21) The image of the line  $y = c$  under the mapping  $w = \cos z$  is [ ]  
 A) Parabola B) ellipse C) Hyperbola D) None
- 22) The type of singularity of the function  $\frac{1}{1-e^z}$  at  $z = 2\pi i$  is \_\_\_\_\_ [ ]  
 A) Simple pole B) Not simple pole C) Isolated essential D) None
- 23) At  $z = 0$   $f(z) = \frac{\sin z}{z}$  has a singularity at which is called \_\_\_\_\_ [ ]  
 A) Simple pole B) Not simple pole  
 C) Isolated essential D) Removable
- 24) The residue of  $f(z) = \frac{e^z}{(z-1)z}$  at the pole  $z=0$  is [ ]  
 A) 1 B) -1 C) 0 D) None

- 25) The image of the line  $x = k$  under the mapping  $w = \sin z$  is [ ]  
 A) Parabola B) ellipse C) Hyperbola D) None
- 26) The pole of  $f(z) = \frac{z}{(z+4)^2(z-1)}$  is [ ]  
 A) 0,-4 B) 0,4 C) 1,-4 D) -4,-1
- 27) Under the transformation  $w = z^2$  is conformal everywhere except at \_\_\_\_\_ [ ]  
 A) Entire w-plane B) Origin C) Infinite strip D) None
- 28) The type of singularity of the function  $\sin \frac{1}{1-z}$  at  $z = 1$  is \_\_\_\_\_ [ ]  
 A) Simple pole B) Isolated essential C) Not simple pole D) None
- 29)  $f(z) = \frac{\sin z}{z}$  has a singularity at  $z = 0$  which is called \_\_\_\_\_ [ ]  
 A) Simple pole B) Not simple pole  
 C) Isolated essential D) Removable
- 30) The image of the line  $x = k$  under the mapping  $w = \cos z$  is [ ]  
 A) Parabola B) ellipse C) Hyperbola D) None
- 31) The pole of  $f(z) = \frac{z}{(z+4)(z+1)}$  is [ ]  
 A) 0,-4 B) 0,4 C) 1,-4 D) -4,-1
- 32) If  $f(z)$  has a simple pole at  $z = -a$  then  $\operatorname{Res}_{z=-a} f(z) =$  [ ]  
 A) 0 B)  $\operatorname{Lt}_{z \rightarrow -a} (z+a)f(z)$  C)  $\operatorname{Lt}_{z \rightarrow -a} (z-a)f(z)$  D) None
- 33) If  $f(z)$  has a simple pole at  $z = -2$  then  $\operatorname{Res}_{z=-2} f(z) =$  [ ]  
 A) 0 B)  $\operatorname{Lt}_{z \rightarrow -2} (z+2)f(z)$  C)  $\operatorname{Lt}_{z \rightarrow -2} (z-2)f(z)$  D) None
- 34) The value of  $\int_c \frac{dz}{z-5}$ ,  $C: |z|=1$  is [ ]  
 A) 1 B)  $\pi i$  C) 0 D) None
- 35) The residue of  $f(z) = \frac{z^2}{z^2+a^2}$  at the pole  $z = ia$  is [ ]  
 A)  $\frac{ia}{3}$  B)  $-\frac{ia}{3}$  C)  $\frac{a}{3}$  D)  $\frac{ia}{2}$
- 36) The pole of  $f(z) = \frac{z}{z^2+1}$  is [ ]  
 A)  $\pm i$  B) 0,i C)  $\pm 1$  D) None
- 37) The pole of  $\int_c \frac{z^2+2z-2}{z(z-4)(z-1)} dz$  is [ ]  
 A) 0,4,-1 B) 0,-4,1 C) 0,4,1 D) 0,-4,-1

- 38) The bilinear transformation  $w = \frac{az + b}{cz + d}$  is conformal if [ ]  
 A)  $ad - bc \neq 0$  B)  $ad - bc = 0$  C)  $ab - cd = 0$  D)  $ab - cd \neq 0$
- 39) The pole of  $f(z) = \frac{z}{z^2 + 4}$  is [ ]  
 A)  $\pm 2i$  B)  $0, 2i$  C)  $\pm 2$  D) None
- 40) If  $ad - bc = 0$  then  $\frac{b}{a} = \frac{d}{c}$  then every point of z-plane is a [ ]  
 A) Inverse points B) Critical points C) singular point D) None



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**QUESTION BANK (OBJECTIVE)**

**Subject with Code : ENGINEERING MATHEMATICS-III (16HS612)**

**Course & Branch: B.Tech – AG Year & Sem: II-B.Tech& I-Sem Regulation: R16**

**UNIT-III**

- 1) Example of a transcendental equation [ ]  
 A.  $f(x) = x \log x - 1.2 = 0$  B.  $f(x) = x^3 - x - 1 = 0$   
 C.  $f(x) = x^2 + x - 7 = 0$  D. None
- 2) If first two approximation  $x_0$  and  $x_1$  are roots of  $x^3 - 9x + 1 = 0$  are 0 and 1 by Bisection method then  $x_2$  is [ ]  
 A. 1.5 B. 2.5 C. 0.5 D. 3.5
- 3) Example of an algebraic equation [ ]  
 A.  $f(x) = x \log x - 1.2 = 0$  B.  $f(x) = x^3 - x - 1 = 0$   
 C.  $f(x) = x^2 \tan x + 1 = 0$  D. None
- 4) In case of Bisection method, the convergence is [ ]  
 A. linear B. 3 C. very slow D. quadratic
- 5) Bisection method is used for [ ]  
 A. Solution of algebraic or transcendental equation B. Integration of a function  
 C. Differential of a function D. Solution of a function
- 6) For ----- method of solution of equations of the form  $f(x) = 0$  approximation  $x_0$  is to be very close to the root and  $f(x_n) \neq 0$  [ ]  
 A. Bolzano B. Newton-Raphson C. Secant D. Chord
- 7) If the two roots are 1 & 2 of  $x^3 - x - 4 = 0$  by Bisection method then  $x_1$  is [ ]  
 A. 1.5 B. 2.5 C. 0.5 D. 3.5



- 8) Example of a transcendental equation [      ]  
 A.  $f(x) = c_1 e^x + c_2 e^{-x} = 0$  B.  $f(x) = x^2 + x - 7 = 0$  C.  $f(x) = x^2 + 5x - 7 = 0$  D. None
- 9) If first two approximation  $x_0$  and  $x_1$  are roots of  $2x - \log_{10} x = 7$  are 3.5 and 4 by Bisection method then  $x_2$  is [      ]  
 A. 1.75                      B. 2.75                      C. 3.75                      D. 4.75
- 10) If first two approximation  $x_0$  and  $x_1$  are roots of  $x^3 - 9x + 1 = 0$  are 0 and 1 by Bisection method then  $x_2$  is [      ]  
 A. 1.5                      B. 2.5                      C. 0.5                      D. 3.5
- 11) If first two approximation  $x_0$  and  $x_1$  are roots of  $x^3 - x - 4 = 0$  are 1 and 2 by Bisection method then  $x_2$  is [      ]  
 A. 1.5                      B. 2.5                      C. 0.5                      D. 3.5
- 12) The order of convergence in Newton-Raphson method is [      ]  
 A. 1                              B. 3                              C. 0                              D. 2
- 13) The Newton-Raphson method fails when [      ]  
 A.  $f'(x)$  is negative      B.  $f'(x)$  is zero      C.  $f'(x)$  is too large      D. Never fails
- 14) In case of Bisection method, the convergence is [      ]  
 A. linear                      B. 3                              C. very slow                      D. quadratic
- 15) Under the conditions that  $f(A)$  and  $f(B)$  have opposite signs and  $a < b$ , the first approximation of one of the roots  $f(x) = 0$ , by Regula-Falsi method is given by [      ]  
 A.  $x_1 = \frac{af(a) - bf(b)}{f(a) - f(b)}$                       B.  $x_1 = \frac{af(b) - bf(a)}{f(b) - f(a)}$   
 C.  $x_1 = \frac{af(a) + bf(b)}{f(a) + f(b)}$                       D.  $x_1 = \frac{af(b) - bf(a)}{f(b) + f(a)}$
- 16) For ----- method of solution of equations of the form  $f(x) = 0$  approximation  $x_0$  is to be very close to the root and  $f(x_n) \neq 0$  [      ]  
 A. Bolzano                      B. Newton-Raphson                      C. Secant                      D. Chord
- 17) In the bisection method of solution of an equation of the form  $f(x) = 0$  the convergence of the sequence  $\langle x_n \rangle$  of midpoints to a root of  $f(x) = 0$  in an interval  $(a, B)$  where  $f(A)f(B) < 0$  is [      ]  
 A. Assured and very fast                      B. Not assured but very fast  
 C. Assured but very slow                      D. Independent on the sequence of point
- 18) Newton-Raphson method is used for [      ]  
 A. Solution of algebraic or transcendental equation                      B. Integration of a function  
 C. Differential of a function                      D. Solution of a function
- 19) In the method of False position for solution of an equation of the form  $f(x) = 0$  the convergence of the sequence  $\langle x_n \rangle$  iterates to a root of  $f(x) = 0$  is [      ]  
 A. Assured and very fast                      B. Not assured but very fast  
 C. Assured but slow                      D. Independent on the sequence of point

- 20) 12. In Newton –Raphson method we approximate the graph of f by suitable [ ]  
 A. Chords                      B. Tangents                      C. Secants                      D. Parallel
- 21) Newton’s iterative formula for finding a root of  $f(x) = 0$  is [ ]  
 A.  $x_{n+1} = x_n + \frac{f(x_n)}{f''(x_n)}$                       B.  $x_{n+1} = x_n - \frac{f(x_n)}{f''(x_n)}$   
 C.  $x_{n+1} = x_n + \frac{f(x_n)}{f'(x_n)}$                       D.  $x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}$
- 22) Newton-Raphson method is also called [ ]  
 A. Method of tangent                      B. Method of false position  
 C. Method of chord                      D. Method of secants
- 23) Among the method of solution of equation of the form  $f(x) = 0$  the one which is used commonly for its simplicity and great speed is ---method [ ]  
 A. Secant    B. Regula falsi                      C. Newton – Raphson                      D. Bolzano
- 24) The Regula Falsi method is related to \_\_\_\_\_ at a point of the curve [ ]  
 A. Chord    B. Ordinate                      C. Abscissa                      D. Tangent
- 25) The Newton – Raphson method is related to \_\_\_\_\_ at a point of the curve [ ]  
 A. Chord    B. Ordinate                      C. Abscissa                      D. Tangent
- 26) Newton’s iterative formula for finding the square root of a positive number N is [ ]  
 A.  $x_{i+1} = \frac{1}{2} \left( x_i - \frac{N}{x_i} \right)$                       B.  $x_{i+1} = \frac{1}{2} \left( x_i + \frac{N}{x_i} \right)$   
 C.  $x_{i+1} = \left( x_i - \frac{N}{x_i} \right)$                       D.  $x_{i+1} = 2 \left( x_i + \frac{N}{x_i} \right)$
- 27) Newton’s iterative formula for finding the reciprocal of a number N is [ ]  
 A.  $x_{n+1} = \left( x_n - \frac{N}{x_n^2} \right)$                       B.  $x_{n+1} = x_n \left( 2 - \frac{N}{x_n} \right)$   
 C.  $x_{n+1} = x_n (2 - Nx_n)$                       D.  $x_{n+1} = x_n (2 + Nx_n)$
- 28) Regula- falsi method is used for [ ]  
 A. Solution of algebraic or transcendental equation                      B. Integration of a function  
 C. Differential of a function                      D. Solution of a function
- 29) The cube root of 24 by Newton’s formula taking  $x_0 = 3$  is \_\_\_\_\_ [ ]  
 A. 1.889                      B. 2.889                      C. 5.889                      D. 4.889
- 30) The square root of 35 by Newton’s formula taking  $x_0 = 6$  is \_\_\_\_\_ [ ]  
 A. 7.916                      B. 5.916                      C. 6.916                      D. 4.916
- 31) If first two approximation  $x_0$  and  $x_1$  are roots of  $xe^x = 2$  are 0 and 1 by Regula-falsi method then  $x_2$  is [ ]  
 A. 0.13575                      B. 0.33575                      C. 0.73575                      D. 0.53575
- 32) If first two approximation  $x_0$  and  $x_1$  are roots of  $x^3 - x - 4 = 0$  are 1 and 2 by Regula-falsi method then  $x_2$  is [ ]  
 A. 4.666                      B. 2.666                      C. 3.666                      D. 1.666

33) Newton's iterative formula for finding the pth root of a positive number N is [ ]

A.  $x_{n+1} = \frac{1}{p} \left( (p-1)x_n + \frac{N}{x_n^{p-1}} \right)$

B.  $x_{n+1} = \frac{1}{p} \left( (p-1)x_n - \frac{N}{x_n^{p-1}} \right)$

C.  $x_{n+1} = p \left( (p-1)x_n - \frac{N}{x_n^{p-1}} \right)$

D.  $x_{n+1} = \left( (p-1)x_n - \frac{N}{x_n^{p-1}} \right)$

34) The general iteration formula of the Regula Falsi method is [ ]

A.  $x_{n+1} = x_n + \frac{x_n - x_{n-1}}{f(x_n) - f(x_{n-1})} f(x_n)$

B.  $x_{n+1} = x_n + \frac{x_n + x_{n-1}}{f(x_n) - f(x_{n-1})} f(x_n)$

C.  $x_{n+1} = x_n - \frac{x_n - x_{n-1}}{f(x_n) - f(x_{n-1})} f(x_n)$

D.  $x_{n+1} = x_n - \frac{x_n - x_{n-1}}{f(x_n) + f(x_{n-1})} f(x_n)$

35) If first approximation root of  $x^3 - 5x + 3 = 0$  is  $x_0 = 0.64$  then  $x_1$  by Newton-Raphson method is [ ]

A. 4.6565

B. 2.6565

C. 3.6565

D. 0.6565

36) Newton's iterative formula to find the value of  $\sqrt{N}$  is [ ]

A.  $x_{n+1} = \frac{1}{2} \left( x_n + \frac{N}{x_n} \right)$

B.  $x_{n+1} = \frac{1}{2} \left( x_n - \frac{N}{x_n} \right)$

C.  $x_{n+1} = \left( x_n - \frac{N}{x_n} \right)$

D.  $x_{n+1} = 2 \left( x_n - \frac{N}{x_n} \right)$

37) If first approximation root of  $x^2 - 10 = 0$  is  $x_0 = 3.8$  then  $x_1$  by Newton-Raphson method is [ ]

A. 0.215

B. 1.215

C. 2.215

D. 3.215

38) Newton's iterative formula to find the value of  $\sqrt[3]{N}$  is [ ]

A.  $x_{n+1} = \frac{1}{3} \left( 2x_n + \frac{N}{x_n^2} \right)$

B.  $x_{n+1} = \frac{1}{3} \left( 2x_n - \frac{N}{x_n^2} \right)$

C.  $x_{n+1} = \left( 2x_n - \frac{N}{x_n^2} \right)$

D.  $x_{n+1} = 3 \left( 2x_n + \frac{N}{x_n^2} \right)$

39) 36. If first two approximation  $x_0$  and  $x_1$  are roots of  $2x - \log_{10}^x = 7$  are 3.5 and 4 by Regula-Falsi method then  $x_2$  is [ ]

A. 1.7888

B. 2.7888

C. 3.7888

D. 4.7888

40) If first approximation root of  $\cos x - x^2 - x = 0$  is  $x_0 = 0.5$  then  $x_1$  by Newton-Raphson method is [ ]

A. 0.5514

B. 1.5514

C. 2.5514

D. 3.3314


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**QUESTION BANK (DESCRIPTIVE)**
**Subject with Code : ENGINEERING MATHEMATICS-III(16HS612)**
**Course & Branch: B.Tech – AG    Year & Sem: II-B.Tech& I-Sem    Regulation: R16**
**UNIT –IV**

- The  $(n+1)^{th}$  order difference of a polynomial of  $n^{th}$  degree is \_\_\_\_\_ [    ]  
 A) Polynomial of  $n^{th}$  degree    B) polynomial of first degree    C) constant    **D) Zero**
- The  $n^{th}$  order difference of a polynomial of  $n^{th}$  degree is \_\_\_\_\_ [    ]  
 A) Polynomial of  $(n-1)^{th}$  degree    **B) constant**    C) polynomial of first degree    D) None
- While evaluating a definite integral by Trapezoidal rule, the accuracy can be increased by taking \_\_\_\_\_ number of subintervals. [    ]  
 A) Larger    B) smaller    C) Medium    D) None
- In Simpson's 3/8 rule the number of subintervals should be \_\_\_\_\_ [    ]  
 A) Even    B) Odd    C) Multiples of 8    **D) Multiples of 3**
- In Simpson's 1/3 rule the number of subintervals should be \_\_\_\_\_ [    ]  
 A) Even    B) Multiples of 3    C) Odd    D) None
- The following formula is used for unequal intervals of x values [    ]  
 A) Newton's forward    **B) Langrange's**    C) Newton's backward    D) None
- The principle of least squares states that [    ]  
 A) Sum of residuals is minimum    B) Sum of residuals is maximum  
 C) Sum of squares of the residuals is minimum    D) None
- If  $y = a_1 + a_2x$  the second normal equation by least square method is\_ [    ]  
 A)  $\sum y = na_1 + a_2 \sum x$     **B)  $\sum xy = a_1 \sum x + a_2 \sum x^2$**     C)  $\sum xy = na_1 + a_2 \sum x$     D) None
- If  $y=6.077, Y= \ln(y)$  then  $Y=.....$  [    ]  
 A) 0.8045    **B) 1.8045**    C) 2.8045    D) 3.8045
- If  $y=4.077, Y= \ln(y)$  then  $Y=.....$  [    ]  
 A) 1.040    **B) 1.405**    C) 0.4059    D) None
- If  $y=8.3, Y= \log y$  then  $Y=.....$  [    ]  
 A) 0.9191    B) 9.191    C) 0.0919    D) None
- If  $y = a + bx$  the first normal equation by least square method is \_\_\_\_\_ [    ]  
 A)  $\sum y = na + b \sum x$     B)  $y = a \sum x^2 + b \sum x^3$     C)  $\sum y = na + b$     D) None

13. If  $y = a + bx + cx^2$  the second normal equation by least square method is\_\_\_\_\_ [     ]  
 A)  $\sum xy = a\sum x + b\sum x^2 + c\sum x^3$                       B)  $\sum y = a\sum x + b\sum x^2 + c\sum x^3$   
 C)  $\sum xy = na + b\sum x + c\sum x^2$                               D)  $\sum xy^2 = a\sum x + b\sum x^2 + c\sum x^3$
14. If  $y = ax^2 + bx + c$  the third normal equation by least square method is\_\_\_\_\_ [     ]  
 A)  $\sum xy = a\sum x + b\sum x^2 + c\sum x^3$                       B)  $\sum y = a\sum x^2 + b\sum x + nc$   
 C)  $\sum y = na + b\sum x + c\sum x^2$                               D)  $\sum xy^2 = a\sum x + b\sum x^2 + c\sum x^3$
15. In Simpson's  $\frac{1}{3}$  rule state that  $\int_a^b f(x)dx =$  [     ]  
 A)  $\frac{h}{2}[(y_0 + y_n) + 2(y_1 + y_2 + \dots + y_{n-1})]$                       B)  $\frac{h}{3}[(y_0 + y_n) + 2(y_1 + y_2 + \dots + y_{n-1})]$   
 C)  $\frac{h}{3}[(y_0 + y_n) + 2(y_2 + y_4 + \dots) + 4(y_1 + y_3 + \dots)]$                       D) None
16. The value of  $\int_0^1 1/(1+x) dx$  by Simpson's 1/3 rule (take  $n=4$ ) is [     ]  
 A) 0.6931                                      B) 0.5                                      C) -0.6931                                      D) None
17. If  $y = ax^2 + bx + c$  the second normal equation by least square method is\_\_\_\_\_ [     ]  
 A)  $\sum xy = a\sum x^3 + b\sum x^2 + c\sum x$                               B)  $\sum y = a\sum x + b\sum x^2 + c\sum x^3$   
 C)  $\sum xy^2 = na + b\sum x + c\sum x^2$                               D)  $\sum xy^2 = a\sum x + b\sum x^2 + c\sum x^3$
18. If  $\sum x_i = 15, \sum y_i = 30, \sum x_i y_i = 110, \sum x_i^2 = 55, n = 4$  and  $y = a_0 + a_1 x$  Then  $a_0 =$  [     ]  
 A) 2.2                                      B) 1.52                                      C) 1.2                                      D) 0
19. If  $y = a_0 x^2 + a_1 x + a_2$  the second normal equation by least square method is\_\_\_\_\_ [     ]  
 A)  $\sum xy = a_0 \sum x^3 + a_1 \sum x^2 + a_2 \sum x$                               B)  $\sum x^2 y = a_0 \sum x^4 + a_1 \sum x^3 + a_2 \sum x^2$   
 C)  $\sum y = a_0 \sum x^3 + a_1 \sum x^2 + a_2 \sum x$                               D)  $\sum xy = a_0 \sum x^3 + a_1 \sum x^2 + na_2$
20. If  $\sum x_i = 15, \sum y_i = 30, \sum x_i y_i = 110, \sum x_i^2 = 55, n = 5$  and  $y = a_0 + a_1 x$  Then  $a_0 =$  [     ]  
 A) 2.2                                      B) 1.52                                      C) 1.2                                      D) 0
21. The Exponential curve is ..... [     ]  
 A)  $y = ax^b$                                       B)  $y = -ax^b$                                       C)  $y = ae^{bx}$                                       D) None
22. The power curve is ..... [     ]  
 A)  $y = ax^b$                                       B)  $y = ab^x$                                       C)  $y = -ax^b$                                       D) None
23. If  $y = a + bx$  the second normal equation by least square method is\_\_\_\_\_ [     ]  
 A)  $\sum y = na + b\sum x$                       B)  $y = a\sum x^2 + b\sum x^3$                       C)  $\sum xy = a\sum x + b\sum x^2$                       D) None
24. If  $y = a + bx$  the first normal equation by least square method is\_\_\_\_\_ [     ]  
 A)  $\sum y = na + b\sum x$                       B)  $y = a\sum x^2 + b\sum x^3$                       C)  $\sum y = na + b$                       D) None

25. In Simpson's 3/8 rule the number of subintervals should be \_\_\_\_\_ [      ]  
 A) Even                                      B) Odd                                      C) Multiples of 3                      D) None
26. By Trapezoidal rule,  $\int_a^b f(x)dx =$  [      ]  
 A)  $\frac{h}{2}[(y_0 + y_n) + 2(y_1 + y_2 + \dots + y_{n-1})]$       B)  $\frac{h}{2}[(y_0 + y_n) - 2(y_1 + y_2 + \dots + y_{n-1})]$   
 C)  $\frac{h}{2}[(y_0 - y_n) + 2(y_1 + y_2 + \dots + y_{n-1})]$       D)  $\frac{h}{2}[(y_0 - y_n) - 2(y_1 + y_2 + \dots + y_{n-1})]$
27. In Simpson's  $\frac{1}{3}$  rule state that  $\int_a^b f(x)dx =$  [      ]  
 A)  $\frac{h}{3}[(y_0 + y_n) + 2(y_2 + y_4 + \dots) + 4(y_1 + y_3 + \dots)]$       B)  $\frac{h}{3}[(y_0 + y_n) + 2(y_1 + y_2 + \dots + y_{n-1})]$   
 C)  $\frac{h}{2}[(y_0 + y_n) + 2(y_1 + y_2 + \dots + y_{n-1})]$                       D) None
28. In the general quadrature formula  $n=3$  gives [      ]  
 A) Trapezoidal rule                      B) Simpson's  $\frac{1}{3}$  rule      C) Simpson's  $\frac{3}{8}$  rule      D) Weddle's rule
29. The value of  $\int_1^2 1/x dx$  by Trapezoidal rule (take  $n=4$ ) is [      ]  
 A) 0.6931                                      B) 0.5                                      C) -0.6931                                      D) None
30. The value of  $\int_0^1 \frac{dx}{1+x^2}$  by Simpson's  $\frac{1}{3}$  rule (take  $n=4$ ) is [      ]  
 A) 0.6854                                      B) 0.7854                                      C) 0.8854                                      D) 0.9854
31. The value of  $\int_0^1 1/(1+x) dx$  by Simpson's 1/3 rule (take  $n=4$ ) is [      ]  
 A) 0.6931                                      B) 0.5                                      C) -0.6931                                      D) None
32. The value of  $\int_0^1 x^3 dx$  by Trapezoidal rule (take  $n=4$ ) is [      ]  
 A) 0.25                                      B) 1.25                                      C) 2.25                                      D) 3.25
33. Equation of the straight is [      ]  
 A)  $y = ax - b$                                       B)  $y = a - bx$                                       C)  $y = a + bx$                                       D)  $y = a + bx^2$
34. If  $y = ax^b$  the first normal equation is  $\sum \log y =$  \_\_\_\_\_ (n=No. of points given) [      ]  
 A)  $na + b \sum x$                                       B)  $n \log a + b \sum x$                                       C)  $a \sum x + b \sum \log x$                                       D)  $n \log a + b \sum \log x$

35. In Simpson's  $\frac{3}{8}$  rule state that  $\int_a^b f(x) dx =$  [      ]
- A)  $\frac{3h}{8} [(y_0 + y_n) + 3(y_1 + y_2 + y_4 \dots + y_{n-1}) + 2(y_3 + y_6 + y_9 \dots + y_n)]$   
 B)  $\frac{h}{3} [(y_0 + y_n) + 2(y_2 + y_4 + \dots) + 4(y_1 + y_3 + \dots)]$   
 C)  $\frac{h}{3} [(y_0 + y_n) + 2(y_2 + y_4 + \dots) + 4(y_1 + y_3 + \dots)]$       D) None
36. If  $y=9.3, Y= \log y$  then  $Y= \dots$  [      ]  
 A) 0.9685      B) 0.9685      C) 0.9685      D) 0.9685
37. In Simpson's  $\frac{1}{3}$  rule the number of sub intervals should be [      ]  
 A) even      B) odd      C) multiple of 3      D) None
38. In Simpson's  $\frac{1}{3}$  rule the number of ordinates should be [      ]  
 A) Even      B) odd      C) multiple of 3      D) None
39. In Simpson's  $\frac{3}{8}$  rule the number of sub intervals should be [      ]  
 A) Even      B) odd      C) multiple of 3      D) None
40. The value of  $\int_0^1 1/(1+x) dx$  by Simpson's  $1/3$  rule (take  $n=4$ ) is [      ]  
 A) 0.693      B) 0.589      C) 0.456      D) 56


**SIDDHARTH GROUP OF INSTITUTIONS :: PUTTUR**

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**QUESTION BANK (DESCRIPTIVE)**
**Subject with Code : ENGINEERING MATHEMATICS-III(16HS612)**
**Course & Branch: B.Tech – AG    Year & Sem: II-B.Tech& I-Sem    Regulation: R16**
**UNIT –V**

- 1) Successive approximations are used in [    ]  
 A) Milne's method    B) Picard's method    C) Taylor series method    D) none
- 2) Which of the following is a step by step method: [    ]  
 A) Taylor's series    B) Adam's bashforth    C) Picard's    D) none
- 3) Runge-kutta method is self starting method: [    ]  
 A) true    B) false    C) we can't say    D) none
- 4) The second order Runge-kutta formula is [    ]  
 A) Euler's method    B) Newton's method  
 C) Modified Euler's method    D) none
- 5) Euler's nth term formula is [    ]  
 A)  $y_n = y_{n-1} + hf(x_{n-1}, y_{n-1})$     B)  $y_{n+1} = y_{n-1} + hf(x_{n-1}, y_{n-1})$   
 C)  $y_n = y_n + hf(x_n, y_{n-1})$     D) none
- 6) Which of the following is best for solving initial value problems. [    ]  
 A) Euler's method    B) Modified Euler's method  
 C) Taylor's series method    D) Runge-kutta method of order 4
- 7) To obtain reasonable accuracy value in Euler's method, we have to h value is [    ]  
 A) Small    B) large    C) 0    D) none
- 8) If 'n' conditions are specified at the initial point, then it is called [    ]  
 A) Initial value problem    B) final value problem  
 C) Boundary value problem    D) None
- 9) If 'n' conditions are specified at two or more points, then it is called [    ]  
 A) Initial value problem    B) final value problem  
 C) Boundary value problem    D) None
- 10) The first order Runge-kutta formula is [    ]  
 A) Euler's method    B) Newton's method  
 C) Modified Euler's method    D) None
- 11) The second order Runge-Kutta formula is  $y_1 =$  \_\_\_\_\_ [    ]  
 A)  $y_0 + (k_1 + k_2)$     B)  $y_0 - (k_1 + k_2)$     C)  $y_0 + \frac{1}{2}(k_1 + k_2)$     D)  $y_0 - \frac{1}{2}(k_1 + k_2)$
- 12) The  $n^{\text{th}}$  difference of a  $n^{\text{th}}$  degree polynomial is \_\_\_\_\_ [    ]  
 A) Constant    B) Zero    C) one    D) None
- 13) Successive approximations used in \_\_\_\_\_ method [    ]  
 A) Euler's    B) Taylor's    C) Picard's    D) R-K



- 14) The Taylor's series for  $f(x) = \log(1+x)$  is ..... [     ]  
 A)  $x - \frac{x^2}{2} + \frac{x^3}{3} - \dots$      B)  $x + \frac{x^3}{3} - \dots$      C) Both a and b     D) None
- 15) Solve  $y' = x + y, y(0) = 1$ , find  $y_1 = y(0.1)$  by using Euler's method [     ]  
 A) 1.1     B) 1.26     C) 2.1     D) 1.86
- 16) The R-K method is a ..... method [     ]  
 A) Picard's method     B) Euler's method  
 C) Milne's method     D) self-starting method
- 17) Using Euler's method  $y' = \frac{y-x}{y+x}, y(0)=1$  and  $h=0.02$  give  $y_1 = \dots$  [     ]  
 A) 0.02     B) 1.02     C) 2.02     D) 3.02
- 18) Using Euler's method  $y' = \frac{y-x}{y+x}, y(0)=1$  then the Picard's method the value of  $y^1(x) = \dots$  [     ]  
 A)  $1 + 2\log(1+x)$      B)  $1-x+2\log(1+x)$      C)  $x+2\log(1+x)$      D) None
- 19) If  $\frac{dy}{dx} = x-y$  and  $y(0)=1$  then by Picard's method the value of  $y^1(1)$  is ... [     ]  
 A) 0.905     B) 1.905     C) 2.905     D) None
- 20) Euler's first approximation formula is [     ]  
 A)  $y_1 = y_1 + hf(x_1, y_1)$      B)  $y_1 = y_1 + hf(x_0, y_0)$   
 C)  $y_1 = y_0 + hf(x_0, y_0)$      D)  $y_0 = y_0 + hf(x_0, y_0)$
- 21) Second order R-K Method formula is [     ]  
 A)  $y_1 = y_0 + \frac{1}{2}(k_1 + k_2)$      B)  $y_1 = y_0 + \frac{1}{4}(k_1 + 4k_2 + k_3)$   
 C)  $y_1 = y_0 + \frac{1}{6}(k_1 + k_2)$      D)  $y_1 = y_1 + \frac{1}{2}(k_1 + k_2)$
- 22) The integrating factor of  $\frac{dy}{dx} - y = x$  [     ]  
 A)  $e^{2x}$      B)  $e^{-2x}$      C)  $e^x$      D)  $e^{-x}$
- 23) The second order Runge-Kutta formula is  $y_1 = \dots$  [     ]  
 A)  $y_0 + (k_1 + k_2)$      B)  $y_0 - (k_1 + k_2)$      C)  $y_0 + \frac{1}{2}(k_1 + k_2)$      D)  $y_0 - \frac{1}{2}(k_1 + k_2)$
- 24) Using Euler's method  $y' = \frac{y-x}{y+x}, y(0)=1$  and  $h=0.02$  give  $y_1 = \dots$  [     ]  
 A) 0.02     B) 1.02     C) 2.02     D) 3.02
- 25) Runge-kutta method is self starting method: [     ]  
 A) False     B) we can't say     C) True     D) None
- 26) The integrating factor of  $\frac{dy}{dx} + y = x$  [     ]  
 A)  $e^{2x}$      B)  $e^{-2x}$      C)  $e^x$      D)  $e^{-x}$
- 27) Using Euler's method  $y' = \frac{y-x}{y+x}, y(0)=1$  and  $h=0.02$  give  $y_1 = \dots$  [     ]  
 A) 0.02     B) 1.02     C) 2.02     D) 3.02
- 28) If  $\frac{dy}{dx} = x-y$  and  $y(0)=1$  then by Picard's method the value of  $y^1(1)$  is ... [     ]  
 A) 0.905     B) -0.905     C) 1.905     D) None
- 29) If  $y' = -y, y(0)=1$  by Euler's method the value of  $y(0.1)$  is [     ]  
 A) 0.9     B) 0.1     C) -1     D) -0.9

- 30) If  $\frac{dy}{dx} = 1 + xy$ ,  $y(0) = 1$  then by Picard's method the value of  $y^1(x)$  is... [     ]
- A)  $1 + x + \frac{x^2}{2}$      B)  $1 - x - \frac{x^2}{2}$      C)  $1 + \frac{x^2}{2}$      D)  $x + \frac{x^2}{2}$
- 31) The integrating factor of  $\frac{dy}{dx} + \frac{y}{x} = x$  [     ]
- A)  $x^2$      B)  $\log x$      C)  $x$      D)  $e^{-x}$
- 32) If  $\frac{dy}{dx} = \frac{y^2 - x^2}{y^2 + x^2}$ ,  $y(0) = 1$ , and  $h=0.2$  then the value of  $k_1$  in 4<sup>th</sup> order R-K method is
- A) 0     B) 0.1     C) 0.2     D) 0.3     [     ]
- 33) Using Euler's method  $y^1 = \frac{y-x}{y+x}$ ,  $y(0)=1$  and  $h=0.01$  give  $y_1 = \dots\dots$  [     ]
- A) 0.01     B) 1.01     C) 2.01     D) 3.01
- 34) If  $\frac{dy}{dx} = y - x^2$ ,  $y(0) = 1$ , then by Picard's method the value of  $y^1(x)$  is.... [     ]
- A)  $1 - x + \frac{x^2}{2}$      B)  $1 + x - \frac{x^3}{3}$      C)  $1 - x - \frac{x^3}{3}$      D)  $-1 + x + \frac{x^2}{2}$
- 35) The integrating factor of  $\frac{dy}{dx} - \frac{y}{x} = x$  [     ]
- A)  $x^2$      B)  $-x$      C)  $x$      D)  $e^{-x}$
- 36) The Third order R-K formula is ..... [     ]
- A)  $y_1 = y_0 + \frac{1}{6}(k_1 + k_2 + k_3)$      B)  $y_1 = y_0 + \frac{1}{6}(k_1 - 4k_2 + k_3)$
- C)  $y_1 = y_0 + \frac{1}{6}(k_1 + 4k_2 + k_3)$      D)  $y_1 = y_0 + \frac{1}{6}(k_1 + k_2 + 4k_3)$
- 37) Using Euler's method  $y^1 = \frac{y-x}{y+x}$ ,  $y(0)=1$  and  $h=0.04$  give  $y_1 = \dots\dots$  [     ]
- A) 0.04     B) 1.04     C) 2.04     D) 3.04
- 38) If  $\frac{dy}{dx} = x - y$  and  $y(0)=1$  then by Picard's method the value of  $y^1(0.2)$  is ... [     ]
- A) 0.72     B) -0.72     C) 0.82     D) None
- 39) If  $y' = -y$ ,  $y(0) = 0$  by Euler's method the value of  $y(0.1)$  is [     ]
- A) 0.9     B) 0.1     C) -1     D) 0
- 40) If  $\frac{dy}{dx} = x + y$ ,  $y(0) = 1$ , then by Picard's method the value of  $y^1(x)$  is.... [     ]
- A)  $1 - x + \frac{x^2}{2}$      B)  $1 + x - \frac{x^2}{2}$      C)  $1 + x + \frac{x^2}{2}$      D)  $-1 + x + \frac{x^2}{2}$